



Concept: Solving Linear Systems

Name: _____

COMPUTER COMPONENT

Instructions: Select the computer program *Understanding Equations* (Neufeld)
Follow the instructions to the Main Menu.
Select *Solving Linear Systems* from the Main Menu.



Work through all sections of this topic **in order**:

- *In This Topic*
- *The Meaning of a Linear System*
- *Solve a Linear System by Graphing*
- *Solve a Linear System by Substitution*
- *Solve a Linear System by Elimination*

Additional Required Materials: *Pencil Crayons*

Notice: *You will not be finishing the entire topic before stopping to complete some*
OFF COMPUTER EXERCISES.



As you work through the computer exercises, make your notes in the
NOTES section of this page.

When you reach the end of the section *Solve a Linear System by Elimination*
on the computer, move on to the **OFF COMPUTER EXERCISES** below.

NOTES:

Remember from Understanding Graphing, Linear Relations, What is a Linear Relation?

- A _____ can be represented by a _____ equation.
- A _____ equation is of the form _____ + _____ + _____ = _____

Where _____, _____, and _____ represent _____ numbers.



➤ $_____ = _____ + _____$ is the equation of a _____ line.

➤ For an equation of a straight line we can graph it by two methods:

Example: $y = 3x + 2$

➤ Method 1:

Pick _____ points on the _____ by picking some values for _____ and finding the corresponding value for _____.

Then:

Graph the points.

➤ Method 2:

Determine

➤ Slope (m) = _____

➤ y-intercept (b) = _____

➤ Then graph the y-intercept

➤ Use the slope to find another point on the line with

_____ coordinates.

Summary:

$_____ + _____ + _____ = _____$ or $_____ = _____ + _____$

is a _____ equation.

A _____ of _____ equations, considered _____, is a

_____.

- When we _____ a _____ _____
we find the point of _____.

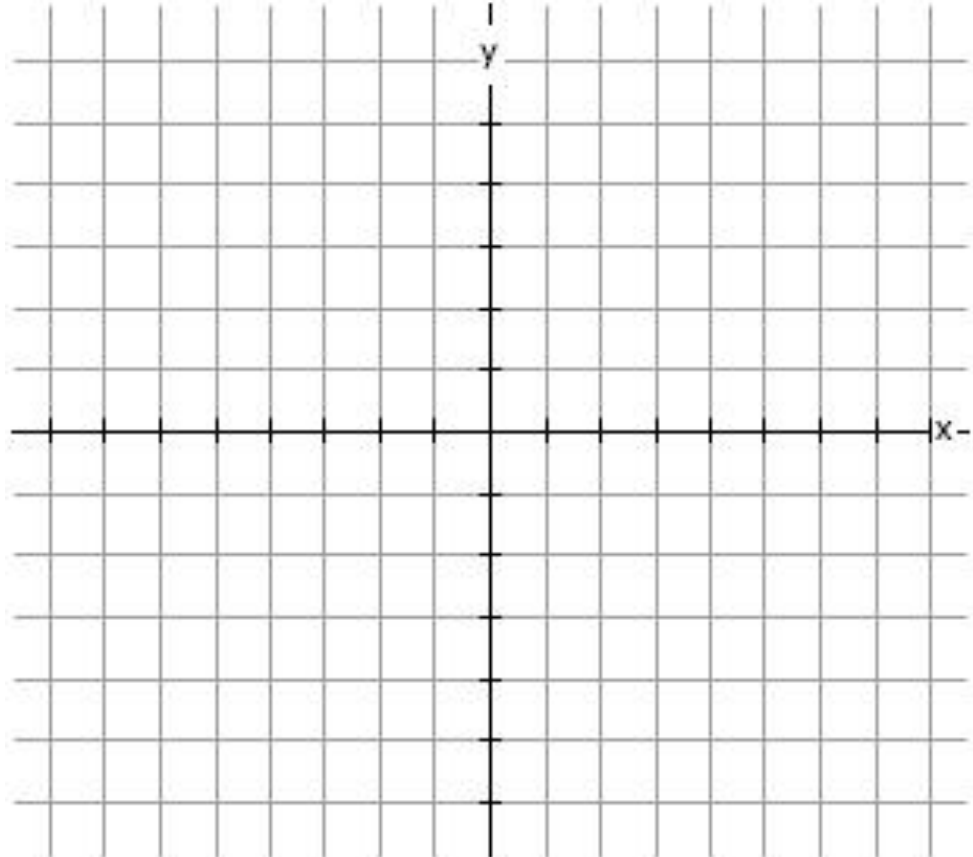
Solve a Linear System by Graphing

- We use the graphs of _____ lines to _____ the
point of _____ for the _____ lines.

Solve:

Equation	y-intercept	Slope	Another Integer Coordinate
$y = 2x + 3$	(0, _____)		(_____, _____)
$y = x - 1$	(0, _____)		(_____, _____)

- Graph the coordinate points.
- Find the point where the _____ lines seem to _____.
- $x =$ _____
 $y =$ _____
(_____, _____)



This point is called the _____ of the system of linear equations.

<p>4.</p> <p>_____ this value ($x =$ _____)</p> <p>into the _____ equation</p> <p>to solve for _____.</p>	$2x - y + 3 = 0 \quad (1)$ $2(\text{_____}) - y + 3 = 0 \quad (1)$ $\text{_____} = y$ <p>Common point is (_____, _____)</p>
<p>5.</p> <p>_____ the solution into each</p> <p>_____ equation.</p>	$2x - y + 3 = 0 \quad (1)$ $x - y - 1 = 0 \quad (2)$ <p>For (1)</p> $\begin{aligned} \text{L.S.} &= 2x - y + 3 \\ &= 2(\text{_____}) - (\text{_____}) + 3 \\ &= \text{_____} \end{aligned}$ <p>R.S. = 0 ← Same, L.S. = R.S.</p> <p>For (2)</p> $\begin{aligned} \text{L.S.} &= x - y - 1 \\ &= (\text{_____}) - (\text{_____}) - 1 \\ &= \text{_____} \end{aligned}$ <p>R.S. = 0 ← Same, L.S. = R.S.</p>

Solving Linear Systems by Elimination

Step	Example
<p>1.</p> <p>_____ the equations so that _____, _____, and _____ terms are _____ each other.</p>	$2x - y + 3 = 0 \quad (1)$ $x - y - 1 = 0 \quad (2)$ $2x - y = \underline{\hspace{2cm}} \quad (1)$ $x - y = \underline{\hspace{2cm}} \quad (2)$
<p>2.</p> <p>If _____ each _____ by a _____ so that the _____ or _____ terms _____ to _____.</p>	$2x - y = \underline{\hspace{2cm}}$ $(2) \times -1 \rightarrow x + (\underline{\hspace{1cm}}) y = \underline{\hspace{2cm}}$
<p>3.</p> <p>_____ the equations to solve for _____ of the _____.</p>	$2x - y = \underline{\hspace{2cm}}$ $\underline{\hspace{1cm}}x + \underline{\hspace{1cm}}y = \underline{\hspace{2cm}}$ <hr style="border: 1px solid black;"/> $\underline{\hspace{1cm}}x + \underline{\hspace{1cm}}y = \underline{\hspace{2cm}}$
<p>4.</p> <p>_____ for (_____).</p>	$\underline{\hspace{2cm}}x = \underline{\hspace{2cm}}$
<p>5.</p> <p>_____ for the _____ into _____ equation and _____ for the _____.</p>	$x - y - 1 = 0$ $(\underline{\hspace{1cm}}) - y - 1 = 0$ $\underline{\hspace{2cm}} = y$ <p>Common point is (_____, _____)</p>

<p>5.</p> <p>_____ the solution in each</p> <p>_____ equation.</p>	$2x - y + 3 = 0 \quad (1)$ $x - y - 1 = 0 \quad (2)$ <p>The common point is (_____, _____)</p> <p>For (1)</p> $\begin{aligned} \text{L.S.} &= 2x - y + 3 \\ &= 2(\underline{\quad}) - (\underline{\quad}) + 3 \\ &= \underline{\quad} \end{aligned}$ <p>R.S. = 0 ← Same, L.S. = R.S.</p> <p>For (2)</p> $\begin{aligned} \text{L.S.} &= x - y - 1 \\ &= (\underline{\quad}) - (\underline{\quad}) - 1 \\ &= \underline{\quad} \end{aligned}$ <p>R.S. = 0 ← Same, L.S. = R.S.</p>
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Evaluate the methods used in Solving a Linear System by Elimination

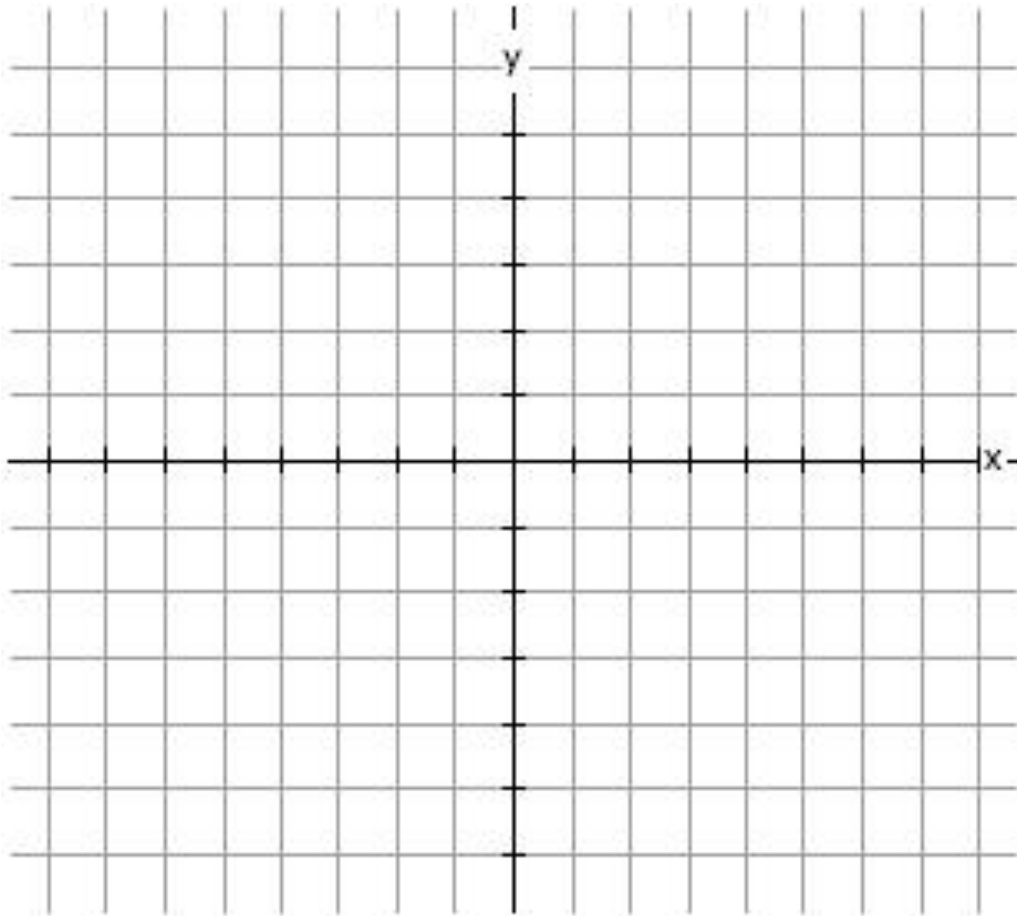
1. Intersecting Lines.
2. Intersecting Lines Involving Fractions
3. Parallel Lines
4. Coincidental Lines.

Summaries the approaches used in each. Be as concise as you can.

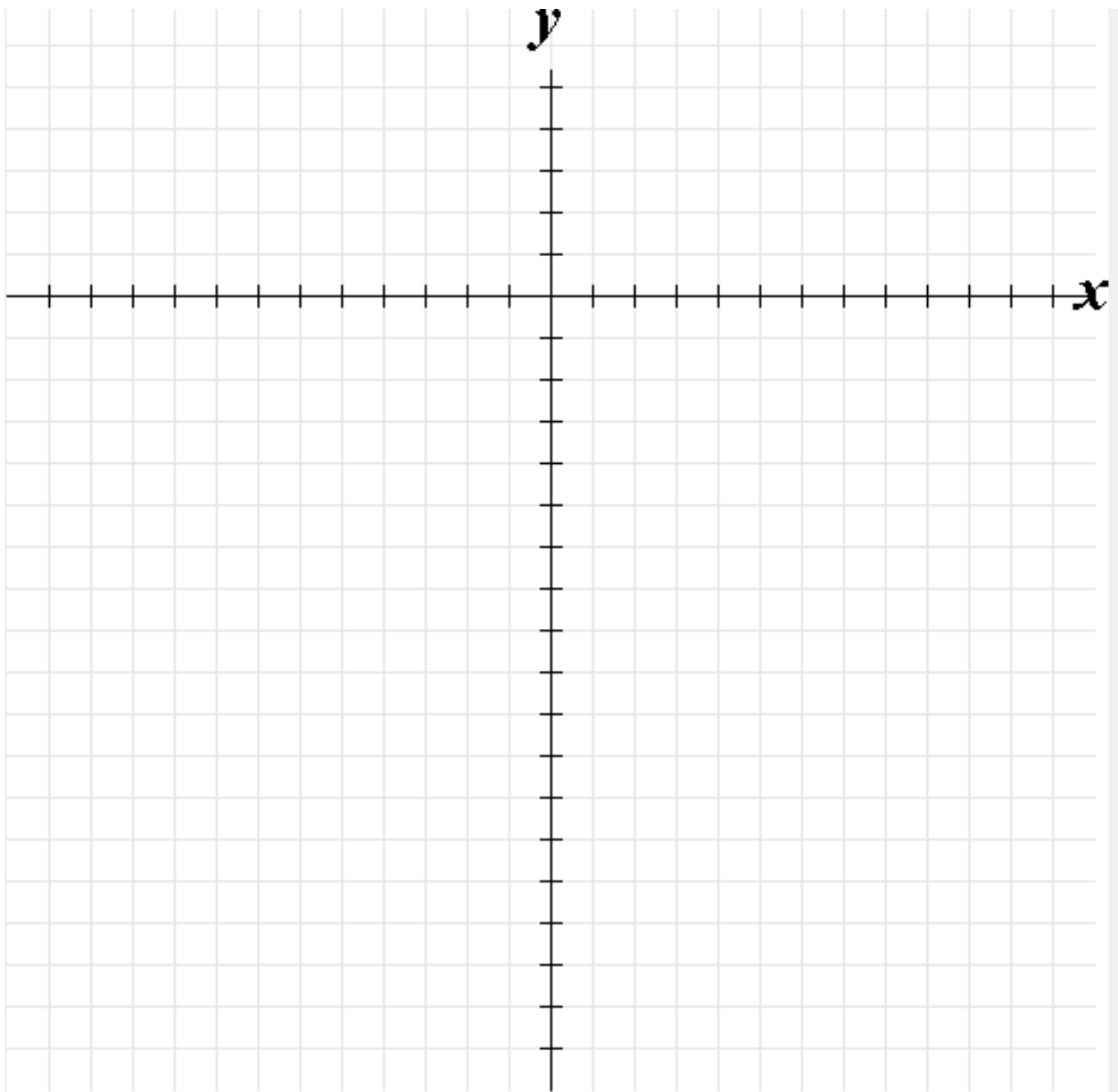
OFF COMPUTER EXERCISES

1. Find the solution to each system of linear equations by **graphing**.

(a) $y = -x + 4$
 $y = 2x - 5$



(b) $y = 4x - 1$
 $y = 2x - 9$



2. Solve the following linear systems by **substitution**. (*Show all your steps and make sure you check your solutions.*)

(a) $y = x + 1$

$$2x + y + 5 = 0$$

(b) $x + y + 6 = 0$

$4x - y + 9 = 0$

(c) $5x + 2y = 14$

$8x + 4y - 28 = 0$

(d) $x - y = 10$

$2x - y = 16$

3. Solve the following linear systems by **elimination**. (*Show all your steps and make sure you check your solutions.*)

(a) $x + 3y = 6$

$$2x - 3y = 12$$

(b) $3x - 5y = 32$

$2x + y = 4$

(c) $3x + 2y = 5$

$4x + 3y = 2$

$$(d) \quad \begin{array}{l} x + y = 11 \\ -2x + 6y = 2 \end{array}$$